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Measurement and *ab initio* modeling of the inelastic neutron scattering of solid N-methylformamide

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Vibrational motions of solid N-methylformamide (NMF) and its N-deuterated analogue are investigated using the inelastic neutron scattering (INS) technique at 15 K. The force field for obtaining the normal vibrational modes of the crystal is based on a quantum chemical calculation and a subsequent transfer of a harmonic force field of a smaller pentameric segment to a fragment of 11 NMF molecules. Two types of hydrogen bonds present in crystalline NMF are also modeled with dimers. The distinct bonding leads to a splitting of the N-hydrogen wagging mode in the spectrum. Although the hydrogen bonding has a profound effect on vibrational frequencies, the results indicate that an occurrence of a double-well potential for bonded hydrogen proposed previously is unlikely. Instead, a limited electronic conjugation along the hydrogen bonds in crystalline NMF is observed. Unlike in previous models, we simulate the relative INS intensity of each vibrational transition separately, which leads to a substantial improvement of the overall profile of the intensity pattern. The modeling allows one to assign most of observed INS bands to vibrational modes and the overall spectral profile that reproduced by the simulation compares well with the experiment. (© 1998 American Institute of Physics. [S0021-9606(98)01101-5]

I. INTRODUCTION

N-methylformamide (NMF, HCONHCH₃) is one of the simplest amides that are widely used to investigate basic properties of the peptide linkage, O=C(R)-NH(R'). As in formamide or N-methylacetamide (NMA), strong intermolecular hydrogen bonding is present in the condensed phase of NMF. Traditionally, the bonding was compared to proteins and other molecules present in living matter.^{1,2} Quite recently, for example, NMF was identified as an anticancer agent^{3–5} and phase II clinical trials have even been conducted.⁶ Also, other basic biochemical processes (charge transfer, neuron signaling) can be conveniently modeled with simple amides.

The presence of intermolecular hydrogen bonding can also be investigated by conventional ir and Raman spectra, especially in the near ir region $(3000-3500 \text{ cm}^{-1})$ where stretching motions of the hydrogen atoms dominate. However, in the lower energy region, either the signal is obscured by vibrational motions of heavier atoms, or it cannot be measured due to the limited spectral window of the spectrometer. Thus due to the high inelastic neutron scattering cross section for hydrogen, INS offers an attractive alternative to the conventional optical spectroscopy for the studies of hydrogen bonding. In addition, with the lack of symmetry selection rules, all the vibrational modes involving hydrogen can be observed. INS intensities for each vibrational mode are directly proportional to the mean square displacements of the hydrogen atoms and thus can be modeled using standard methods of normal mode analysis. INS studies on the deuterated compounds can be particularly aimed at the hydrogen bonding, since the acidic hydrogen may be easily exchanged. The main drawbacks of the INS method are expensive instrumentation, lower resolution, and a relatively large amount of sample needed.

NMF in the gas, liquid, and solution phases has been extensively studied by means of vibrational spectroscopy,⁷⁻⁹ microwave spectroscopy,¹⁰ and electron diffraction.¹¹ These studies confirm the planar structure of an isolated NMF molecule,¹² stabilized due to the partial double-bond character of the C–N bond. Surprisingly, x-ray crystal structure of NMF was not determined until recently,¹³ while the intermolecular structure of NMF in the liquid phase has been studied by x-ray and neutron diffraction.^{14–16} The NMF molecules form helical chains in the crystal, with equal numbers of left-

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FIG. 1. The models of the NMF crystal: single molecule (NMF), H-bonded dimers D1 and D2, and the polymers chain5 and chain11.

and right-handed helices. In fact, the helical and sheeted structures of proteins are stabilized by similar hydrogenmediated interactions.

Previously, we studied the INS spectrum of solid formamide (FA).¹⁷ The results confirmed that the strong intermolecular hydrogen bonds have a major effect on the vibrational motions of FA molecules in the lattice. The FA study also showed that the crude ionic model^{18,19} for the hydrogen bonds in amides and peptides was incorrect. In a crystal of the FA, hydrogen atoms participate in two hydrogen bonds, unlike the most usual interactions between peptide groups in a living matter. In this study, we focused on NMF which we consider a more realistic model for the biomolecular interactions. In the case of FA, a model has also been developed, based on *ab initio* quantum chemical calculations, which allows one to assign the peaks observed in the INS spectrum to the vibrational modes of the crystal.¹⁷

The harmonic force field for molecular and crystalline NMF was modeled in numerous studies based on isolated molecules or dimers using a relatively lower level of approximation.^{20–22} In this study, we take advantage of the current computer power and the discovery of modern DFT functionals. The functionals usually provide accurate vibrational frequencies for molecules in the gaseous and liquid state.^{17,23,24} A series of model NMF crystal fragments is proposed as plotted in Figure 1: a single molecule (NMF), two types of dimers derived from the x-ray structure of NMF (D1 and D2) and helical chains of 5 and 11 NMF molecules (referred to as chain 5 and chain 11, respectively).

II. EXPERIMENT

The INS spectra of NMF and N-deuterated NMF were measured using the CHEX inelastic neutron spectrometer at the Intense Pulsed Neutron Source (IPNS) located at Argonne National Laboratory, Illinois. The details of the instrumental design have been described elsewhere.¹⁷ The energy resolution $(\Delta \nu / \nu)$ is less than 2% for an energy transfer

smaller than 2000 cm⁻¹. N-methylformamide was purchased from Aldrich and used without further purification. The Ndeuteration was carried out by successive exchange with D_2O . The degree of deuteration was determined by NMR measurement to be greater than 95%. An "organ pipe"-like sample cell was made from a row of vertical thin aluminum tubes so that the whole cross section of the incident neutron beam (about 10×10 cm) was covered. The whole sample assembly was cooled to 15 K for the INS measurements.

III. THEORY OF INS

General theory of INS has already been elaborated in numerous studies.^{25,26} For computer simulations, however, we used a more convenient treatment based on intensities of individual quantum transitions than working with a general formula for an ensemble of harmonic oscillators. Especially, the former approach leads to mathematically simpler expressions which can be directly implemented with a limited number of empirical parameters. In principle, anharmonic vibrational transitions (which are not considered here) can also be included.

The process of the inelastic neutron scattering can be described using basic quantum mechanical rules. Since the neutron-sample interaction is weak, the initial wave function of the sample and neutron beam can be expressed as a product (omitting a normalization constant)

$$\psi_i = \exp(-i\mathbf{k_i} \cdot \mathbf{r})Q_i = \phi_i Q_i, \qquad (1)$$

where ϕ_i and Q_i are the neutron and sample parts, respectively, $\mathbf{k_i}$ is the wave vector of the incident neutron beam, $i = \sqrt{(-1)}$ The wave vector is related to the neutron current density, \mathbf{I}_i , by

$$\mathbf{I}_{i} = i(\phi_{i}^{*} \nabla \phi_{i} - \phi_{i} \nabla \phi_{i}^{*}) = 2\mathbf{k}_{i}.$$
(2)

Neglecting the spin, the sample-beam potential can be approximated by a sum^{25}

$$V(\mathbf{r}) = \sum_{\lambda = 1 \dots N} a_{\lambda} \,\delta(\mathbf{r} - \mathbf{r}^{\lambda}),\tag{3}$$

where \mathbf{r}^{λ} is the position vector of a nucleus λ and *N* is the number of atoms. The constant a_{λ} is proportional to the bound scattering length²⁶ and $(a_{\lambda})^2$ is proportional to the INS scattering cross section, σ_{λ} . Due to the interaction, quantum state (1) becomes

$$\psi_f = \exp(-i\mathbf{k_f} \cdot \mathbf{r})Q_f, \qquad (4)$$

with a neutron current $\mathbf{I_f} = 2\mathbf{k_f}$. The differential cross section σ_f for the process is²⁶

$$\sigma_f = k_f k_i^{-1} |w_f|^2 \tag{5}$$

with

Ų

$$w_{f} = \sum_{\lambda=1..N} a_{\lambda} \langle \psi_{f} | \delta(\mathbf{r} - \mathbf{r}^{\lambda}) | \psi_{i} \rangle$$

= $\sum_{\lambda=1..N} a_{\lambda} \langle Q_{f} | \exp(i(\mathbf{k}_{f} - \mathbf{k}_{i}) \cdot \mathbf{r}^{\lambda}) | Q_{i} \rangle$
= $\sum_{\lambda=1..N} a_{\lambda} \exp(i\Delta \cdot \mathbf{r}_{0}^{i}) \langle Q_{f} | \exp(i\Delta \cdot \mathbf{R}^{\lambda}) | Q_{i} \rangle.$ (6)

The difference $\Delta = \mathbf{k_f} - \mathbf{k_i}$ is commonly known as the momentum transfer since the wave vector is equal to the mo-

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mentum in atomic units. In the last expression, nuclear coordinates \mathbf{r}^{λ} were separated into vibrational deviations, \mathbf{R}^{λ} , and equilibrium positions, \mathbf{r}_{0}^{λ} . The deviations can be further expressed using the normal mode coordinates Q_{j} ,

$$\mathbf{R}^{\lambda} = \Sigma_j \mathbf{S}_j^{\lambda} Q_j, \qquad (7)$$

where \mathbf{S}_{j}^{λ} is the normal mode displacement matrix. Except for the highest energy transitions, the product $(\mathbf{\Delta} \cdot \mathbf{R}^{\lambda})$ is small and the last exponential term in (6) can be expanded. For example, for a neutron with an energy 300 cm⁻¹, $|\mathbf{\Delta}| \sim 4.2 \text{ Å}^{-1}$ and the amplitudes **R** of the vibrational motion are typically of the order of 0.01 Å. Using the orthonormality of the vibrational functions, $\langle Q_f | Q_i \rangle = 0$, and Eq. (7), we have

$$w_{f} = i \Sigma_{\lambda=1..N} a_{\lambda} \exp(i \mathbf{\Delta} \cdot \mathbf{r}_{0}^{\lambda}) \mathbf{\Delta} \cdot \Sigma_{j} \mathbf{S}_{j}^{\lambda} \langle Q_{f} | Q_{j} | Q_{i} \rangle$$
$$+ o[(\mathbf{\Delta} \cdot \mathbf{R})^{2}]. \tag{8}$$

For harmonic vibrational states the nonzero elements are

$$\langle Q_f(n_f) | Q_j | Q_i(n_f - 1) \rangle = \delta_{jf} [n_f \hbar/(2\omega_f)]^{1/2}, \qquad (9)$$

where n_f is the vibrational quantum number and ω_f is the fundamental frequency for mode f, \hbar is the Planck's constant. Because of the energy conservation,

$$\hbar \omega_f = \hbar^2 (2m_N)^{-1} (k_i^2 - k_f^2), \qquad (10)$$

where m_N is the neutron mass, the cross section from (5) becomes

$$\sigma_f = k_f k_i^{-1} (n\hbar/2) \omega_f^{-1} \Sigma_{\lambda=1..N} \Sigma_{\lambda'=1..N} a_\lambda a_{\lambda'}$$
$$\times \exp[i\Delta$$

TABLE I. Geometrical parameters of N-methylformamide.

	Single molecule		Crystal		
Bond length (Å)	Calc.	Expt. ¹¹	D1/D2	Chain5 (I/II) ^a	Expt. (I/II) ¹³
C=0	1.220	1.219(5)	1.229/1.228	1.236/1.237	1.231/1.219
N–H	1.009	1.027(6)	1.018/1.018	1.025/1.026	0.750/0.847
C(O)-N	1.359	1.366(8)	1.346-53/1.349-51	1.339/1.333	1.319/1.319
Н…О	-	-	1.971/1.970	1.879/1.855	2.166/2.032

^aFor the center molecule in chain5, Roman numerals denote the two types of the H bonding.

the N-hydrogens. In order to match the observed spectra patterns, simulated bandwidths were taken as directly proportional to the transitional frequencies (δ =0.0154 ω +5.86 for δ and ω in cm⁻¹), except for Figure 4 where a uniform width of 5 cm⁻¹ was used.

IV. RESULTS AND DISCUSSION

A. Geometries

Selected geometrical parameters are listed in Table I. The experimental N-H bond length in the crystal appears unreasonably short which can be attributed to an inaccurate determination of the hydrogen positions by the x-ray diffraction. In fact, an increase of the N-H bond length is expected in solid NMF when compared to the gas phase, as given by the calculations. Similarly, the experimental length of the hydrogen bond (H···O) appears affected by the inaccurate determination of the hydrogen position. On the other hand, the experimentally derived N-H bond length for a single molecule of 1.027 Å¹¹ compares well with the theoretical value of 1.009 Å. The N-H bond becomes longer in the clusters as part of its electron cloud participates in the hydrogen bonding. Moreover, we can observe the effect of the long range electron conjugation in the chain of NMF molecules, since the change of the N-H distance is doubled in chain5 if compared to the dimers. This is in agreement with a generally accepted model of the hydrogen bonding as a cooperative process. On the other hand, the N-H bond length (and thus the hydrogen bond strength) depends little on molecular orientation, as apparent from a comparison of D1 and D2. The C=O bond becomes longer in the crystal if compared to an isolated molecule, and the calculated C=O bond length difference of 0.016 Å (for chain5) is greater than the experimental value (0.000–0.012). Meanwhile, the N–C bond becomes shorter in the crystal, by 0.047 Å (experimentally determined) or by 0.020-0.026 Å (theoretically predicted). Since these calculated differences are comparable with the experimental ones within the error, we feel that our model reasonably well describes the hydrogen bonding in solid NMF. Although the N-H bond is substantially weakened due to the H bonding, the covalent character of the N-H bond is conserved. Therefore, the double-well theory of the hydrogen bonding in amides^{18,19} is not consistent with our calculations. Surprisingly, the two different orientations of NMF molecules in D1 and D2 do not have any significant effect on the geometry parameters, unlike the vibrational frequencies given below.

B. INS Spectra

The INS spectra provide a more detailed view into the structure and forces in crystalline NMF than sole geometry parameters. The experimental and simulated spectra of NMF are shown in Figure 3. The vibrational frequencies and assignments based on the normal modes of the chain5 model are listed in Table II. The spectrum of chain11 differs from chain5 mainly due to the signal of the terminal N-H groups. Most of the spectral bands for the single molecule (NMF) can be assigned to observed peaks with approximately correct relative intensities. Calculations for single NMF cannot obviously reproduce the lowest frequency region dominated by signal stemming from the H bonding, which can be improved, however, for the dimers D1 and D2. The spectra of D1 and D2 appear similar, although minor differences in the mode ordering can be seen in Table II. Those differences occur primarily in the C–H stretching $(2863-2952 \text{ cm}^{-1})$ and bending $(1386-1488 \text{ cm}^{-1})$ regions. A far more dramatic effect on the INS intensities has been observed on the



FIG. 3. Simulated and experimental INS spectra of NMF. Top: calculated intensities for the five model systems (see Figure 1, the free acidic hydrogen is replaced by deuterium in chain11-D); bottom: the experimental spectrum of solid NMF, measured at 15 K. Spectra simulated with a variable bandwidth (see the text).

TABLE II. Calculated and experimental vibrational frequencies of N-methylformamide.

Single molecule		Condensed phase				
NMF	vapor/matrix ^a	D1/D2	chain5	solution/liquid ^b	INS	Assignment
3650	3480/3490	3661/3650	3654			N-H stretch, free
		3498/3501	3443		~3350`	N-H stretch, H-bonded
			3441			}
			3382			
3150	2031/2060	3778/3767	3337		~3120) C-H stretch in CH.
5150	2934/2900	3146/3162	3280		5120	asymmetric
		011000102	3175			us y minourio
			3166			
			3153			ĺ
3116	/2944	3097/3119	3133			
			3120			
2055	2940/2954	2011/2060	3107) Oll startala in Oll
3035	2849/2854	3044/3000	3003			C-H stretch in CH ₃ ,
		3043/3031	3041			symmetric
		0010/0001	3041			
			3037			J
2954	2732/	2983/2991	2983		2920	formyl C-H stretch
			2977			
		/2952	2964			
		0010/	2962			
		2919/	2920) C U stratch in CU
		2002/ /2863	2870			$\int C - \Pi$ succi III $C \Pi_3$,
1812	1724/1721	1809/1789	1809			C=O stretch. free
		1784/1777	1792	1687/1675	1778	C=O stretch, H-bonded
			1780			(amide I)
			1769			>
			1758		,	
		1593/1549	1623		1580	amide II, H-bonded
		1500/	1608			}
		1590/	1600			
1547	1498/1528	1537/1556	1550			amide II free H
1490	/1467	1527/1590	1582	1525/1546	1515	C-H bend in CH ₂
			1580			asymm.
			1521			
			1520			}
		1489/1521	1518			
	/1458	/1488	1489		1484	
		/1386	1489			
1515	1411/1410	1179/1162	1489	1450/1455	1440	C U hand in CU
1464	1411/1410	1463/1462	1454	1450/1455	1440	symm.
1104		1403/1402	1451			}
			1451			
			1447)
1429	-/1392	1444/1423	1 439	1416/1414	1415	formyl C-H bend,
		1428/1421	1428			in plane
			1427			}
			1425			
			1425	1387/1384	1354) CH, umbrella bend
			1372	100//1004	1554	
,		1273/1252	1310		1281) amide III, H-bonded
			1298			
			1295			Ì
			1280			J
1237	1201/1207	1382/1244	1248	1229/1248		amide III, free

Single molecule		Condensed phase				
NMF	vapor/matrix ^a	D1/D2	chain5	solution/liquid ^b	INS	Assignment
1171		1242/1176	1194		1159) CH ₃ rocking, in
			1194			and out of plane
			1184			
			1184			
			1184			
		1179/1171	1180			ſ
1159	/1148	1170/1155	1170	1149/1150	1154	
			1167			
		1156/1050	1164			
			1048		1062	
		1054/	1045)
1026	785/880	1027/1029	1031/1011		1030	formyl C-H bend,
			1030			out of plane
		1023/1017	1026			}
			1025			
			1023			J
971	946/951	981/979	974	956/960	975	$C(H_3)$ -N stretch,
			973			
		970/974	971			}
			971			
			961)
	/761	/690	829	750/771	824	N-H wag,
			802			H-bonded
			791)
773		785/788	790		802	C-N-C bend
			784			
		776/779	777			}
			775			
		(m ,)	770)
	500/5 7 0	6/1/	722	676/720	774	N-H wag, H-bonded
4/1	~ 500/570	493/505	512	056050	400	N-H wag, free
	-/368	337/337	375	300/303	400	N-C(O) torsion
			355		381	}
			348		3/4	
		200/212	343		206	
		299/312	200		520	Cri3-Denu
265		765/799	299		202	
205		203/288	200		302	ſ
221		240/202	203			
221		240/202	270		260	$\mathcal{N} C(\mathbf{O})$ torsion
			201		200	
			200		104	
			141			lattice mode
			121		124	$N_{\rm C}(0)$ torsion
0		< 108/~112	<130		124	lattice modes
		<100/<112	<150		-	attice moues

TABLE II.	(Continued.)
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^aReferences 8 and 9.

^bReference 7. Frequencies in cm⁻¹. Assignments are based on a dynamic displacement of vibrational modes as calculated for chain5.

shift of the N–H out of plane wagging mode caused by the hydrogen bonding. This is also observed for the NH₂ out of plane wagging in solid formamide.¹⁷ This mode, calculated for single NMF molecule at 471 cm⁻¹ is shifted to 671 and 690 cm⁻¹ for D1 and D2, respectively. The largest shift to 829 cm⁻¹ calculated for this mode in chain5 corresponds well to the experimental peak observed at 824 cm⁻¹. Moreover, the two types of hydrogen bonds present in crystalline NMF are reflected in the distinct signals of the hydrogen out of plane wagging modes, at 774 and 824 cm⁻¹ (calculated

for chain11 at 724 and 830 cm⁻¹). The relatively large frequency separation can be accounted for by a larger electron conjugation in the second type of the hydrogen bonding (as in D2) assisted by the nearly planar structure of the N–H··O=C system. As apparent from Table II, the mode was found at 771 cm⁻¹ in liquid NMF, which indicates a much stronger, cooperative hydrogen bonding in the crystal. Calculated intensity of the wagging mode of the free terminal hydrogen in chain5 (512 cm⁻¹) becomes lower in chain11 and the signal disappears entirely when the mass of the hydrogen is set to 2 (chain11-D in Figure 3).

The simulated spectra compares well with the experiment, although individual modes cannot be compared at the lowest energy region bellow 150 cm⁻¹. The relative intensity simulated for the symmetric C–H bending (around 1450 cm⁻¹) and $-CH_3$ rocking (~1050 cm⁻¹) appears greater than observed, which can be partially attributed to the neglect of the hydrophobic forces between the helical chains in the crystal. However, these forces have only a minor effect on INS intensities, since our trial model (not shown here) that included those interactions at an empirical level did not lead to any improvement of the spectral pattern. Due to the limited resolution of the spectrometer also the higher frequency modes (>2000 cm⁻¹) cannot be assigned in detail. Nevertheless, the comparison of the calculated frequencies and the experiment for single molecule can still be considered satisfactory, in spite of the fact that large frequency

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signal of the C–H and N–H stretching modes (around 3000 cm^{-1}). Unfortunately, neither of the two models provides an expression for the bandwidths of individual transitions, which must be found empirically. We do not expect that this obstacle involving a solution of the time dependent Schrödinger equation would be solved in the near future using an *a priori* approach.

V. CONCLUSION

The INS spectra of hydrogenated and N-deuterated solid NMF were measured and the overall spectral profile as well as the intensities of most of the observed vibrational transitions were successfully reproduced by the simulation. The modeling was based on the scattering of the neutron beam on a cluster of NMF molecules mimicing the crystal geometry. The ab initio harmonic force field could be transferred in Cartesian coordinates onto the larger segment of the crystal, not accessible by the calculation directly. The results reveal strong cooperative hydrogen bonds which stabilize the helical chains in the NMF crystal. The two types of the hydrogen bonding present in crystalline NMF lead to the split of the INS signal assigned to the N-hydrogen out of plane wagging modes. Present findings are consistent with our earlier study on solid formamide, i.e., the N-H bonds are weakened if compared to free molecules, but their character of a covalent single-minimum potential is still conserved.